

# Bellwork:

Local Max/Min?

$$(-1, 8) \quad (-5, -5, 5)$$

Zeros?

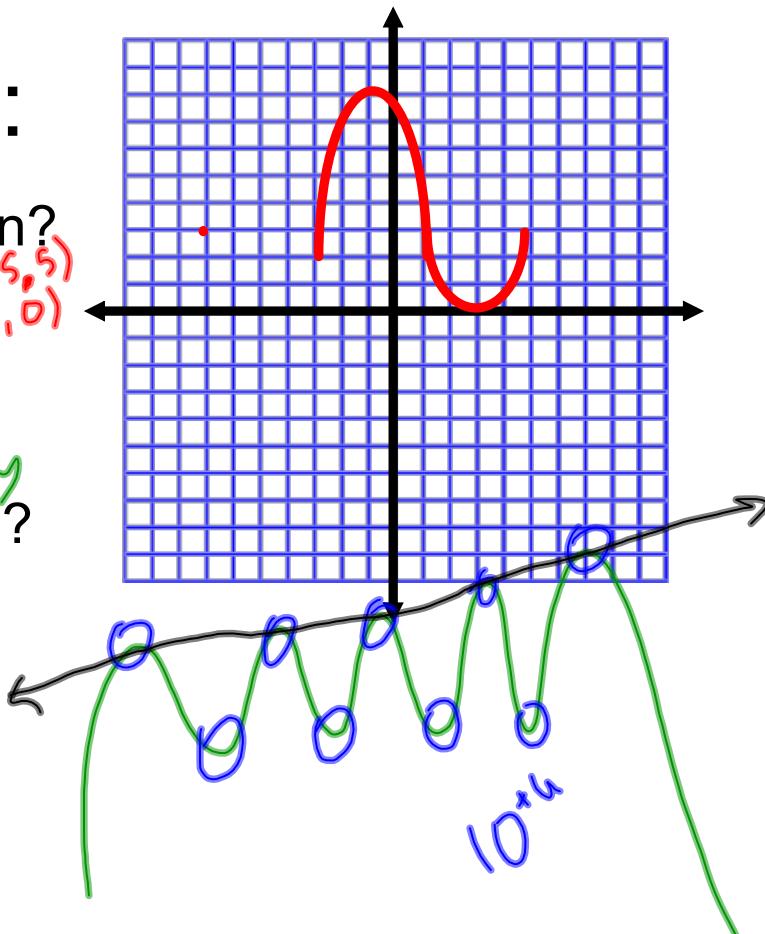
$$-7, 3, 3, 3$$

Turning Pts?

3 turning

Least Degree?

4<sup>th</sup>



## Chapter 5.9: Write Polynomial Functions and Models

line --- 2 pts *to get equation*

parabola --- 3 pts *to get equation*

cubic --- 4pts  
*for equation*

ex. Write the cubic function whose graph is shown.

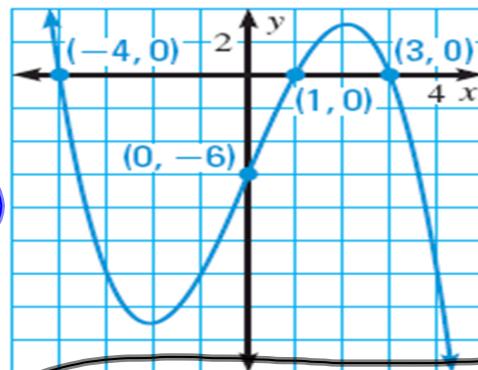
$$f(x) = a(x+k)(x-k)(x-l)$$

$$f(x) = a(x+4)(x-3)(x-1)$$

$$-6 = a(0+4)(0-3)(0-1)$$

$$-6 = a(4)(-3)(-1)$$

$$-6 = 12a \quad a = -\frac{1}{2}$$



$$f(x) = -\frac{1}{2}(x+4)(x-3)(x-1)$$

## Finite Differences....

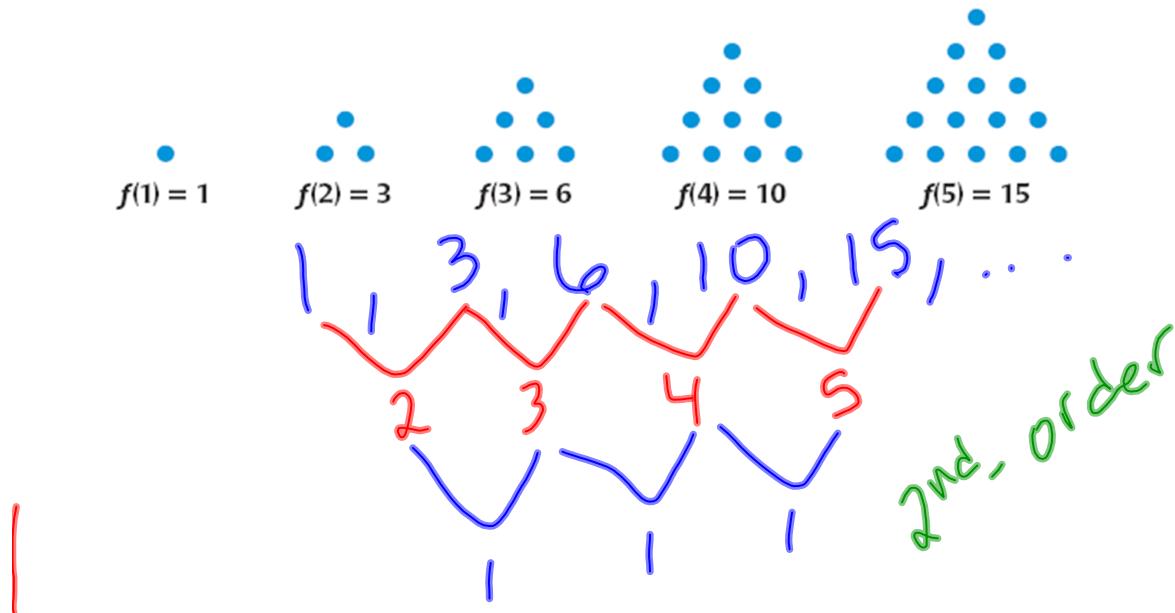
Subtracting values in a given sequence or series. This helps use form equations for the given numbers

$$1, 4, 9, 16, 25, 36, \dots$$

$$\begin{matrix} 3 & 5 & 7 & 9 & 11 \\ 2 & 2 & 2 & 2 & \end{matrix}$$

2nd-degree  
 $f(x) = x^2$

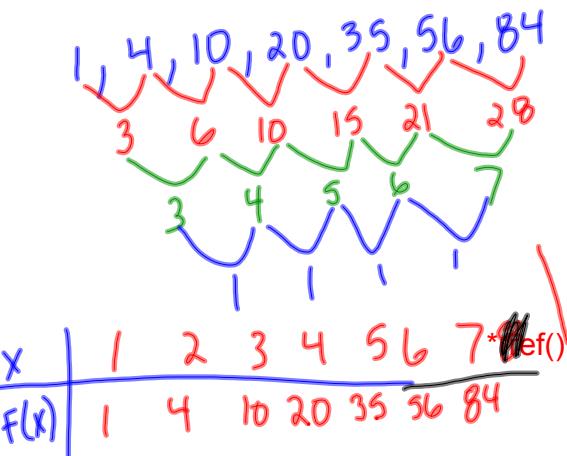
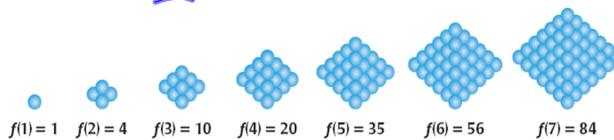
ex. The first 5 triangular numbers are shown below. A formula for the  $n$ th triangular number is  $f(x) = \frac{1}{2}(n^2 + n)$ . show that this function has a constant second-order difference.



## Properties of Finite Differences:

- If a polynomial has degree  $n$ , then the  $n$ th order differences are constant
- Conversely, if the  $n$ th order is constant then its an  $n$ th degree.

The first seven triangular pyramidal numbers are shown. Find a polynomial function that gives the nth triangular pyramidal number.



$$f(x) = \frac{1}{6}x^3 + \frac{1}{2}x^2 + \frac{1}{3}x + 0$$

ex. find the polynomial that best fits the data.

| x | 10    | 20    | 30    | 40    | 50     | 60     | 70     | 80     |
|---|-------|-------|-------|-------|--------|--------|--------|--------|
| y | 202.4 | 463.3 | 748.2 | 979.3 | 1186.3 | 1421.3 | 1795.4 | 2283.5 |

Homework: Ch 5.9 pg.397 #'s 4-20e